

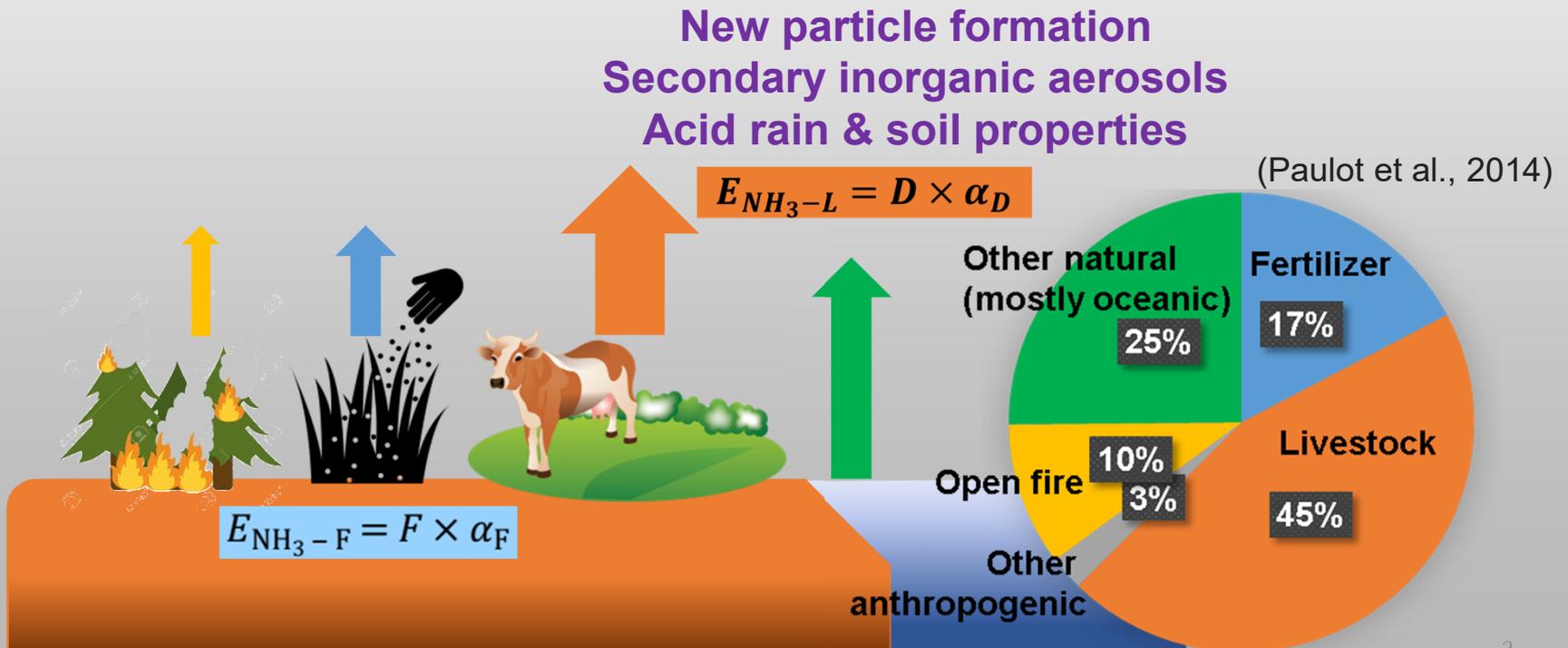


Assessing the iterative finite difference mass balance and 4D-Var methods to derive ammonia emissions over North America using synthetic observations

Chi Li, Randall V. Martin, Mark W. Shephard, Karen Cady-Pereira, Matthew J. Cooper, Jennifer Kaiser, Colin J. Lee, Lin Zhang, & Daven K. Henze

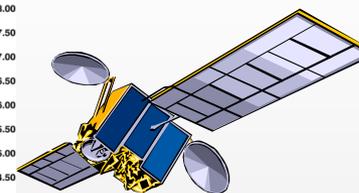
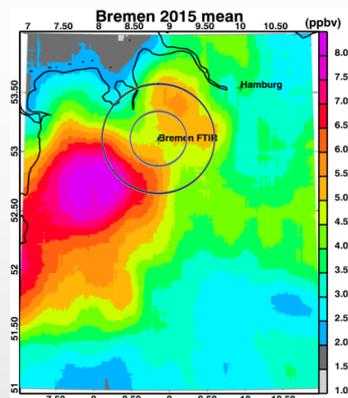


Promise of satellite observations to reduce large uncertainties in bottom-up NH₃ emission estimates



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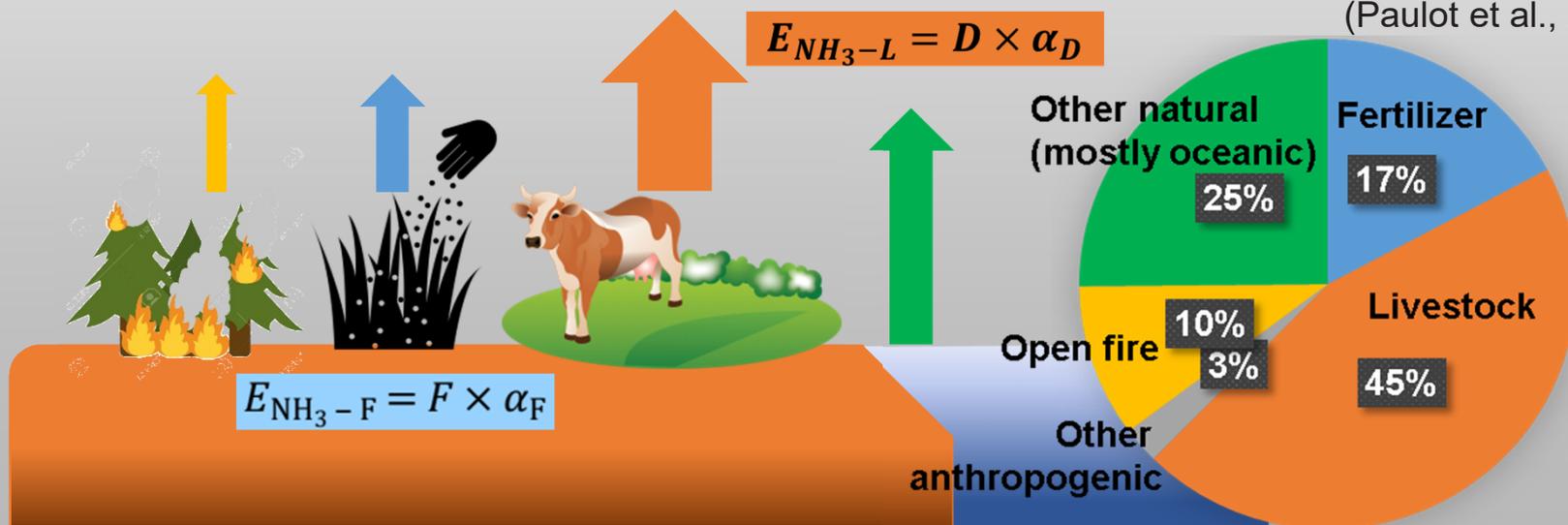
Cross-track Infrared Sounder (CrIS)



(Shepard and Cady-Pereira, 2015)

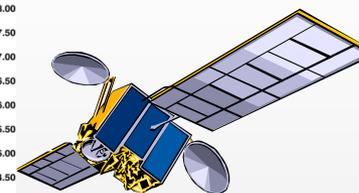
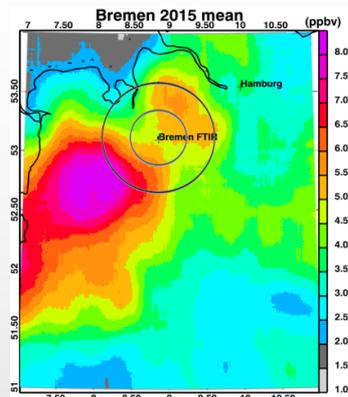
New particle formation
Secondary inorganic aerosols
Acid rain & soil properties

(Paulot et al., 2014)

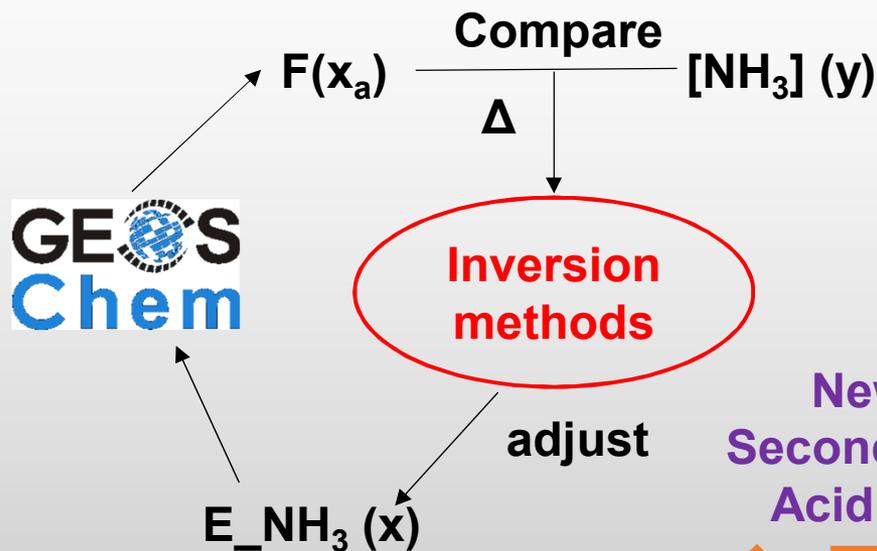


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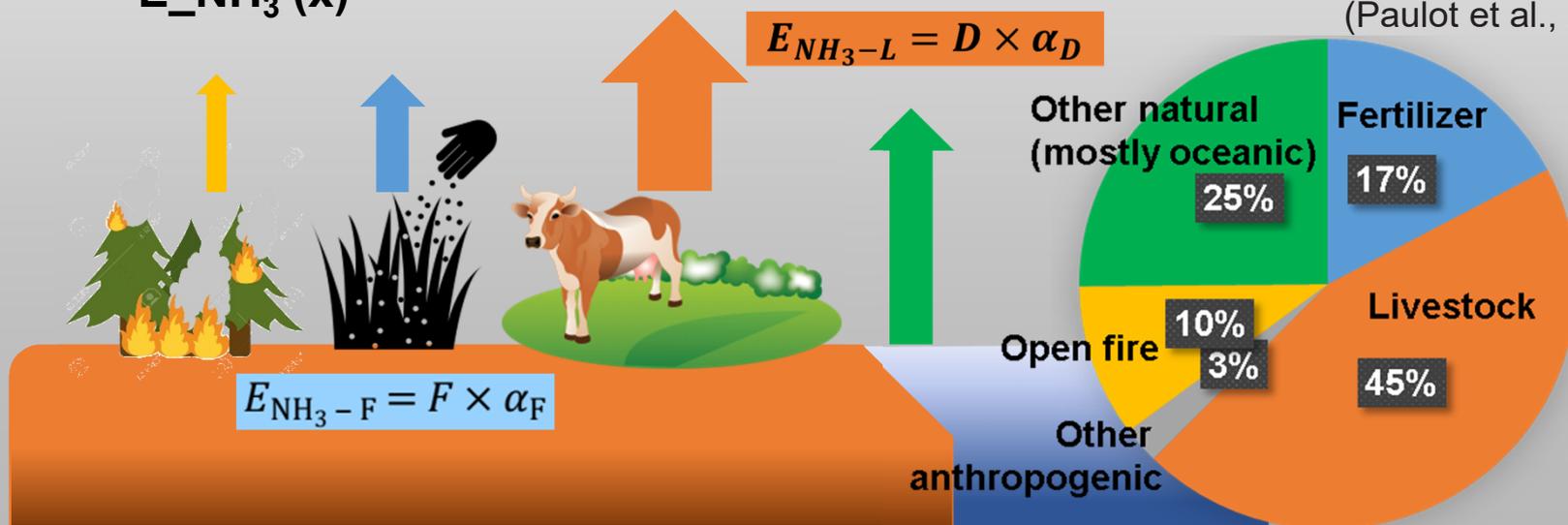
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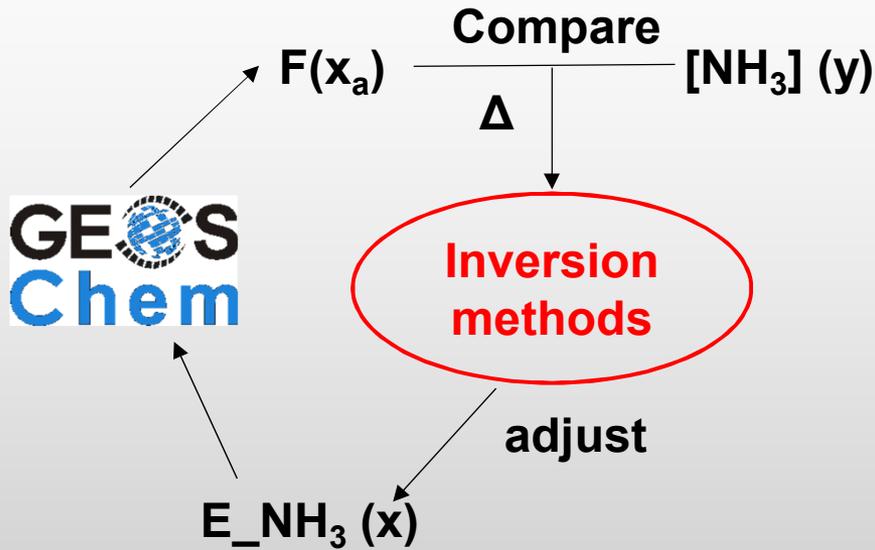
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$$E_{NH_3-L} = D \times \alpha_D$$

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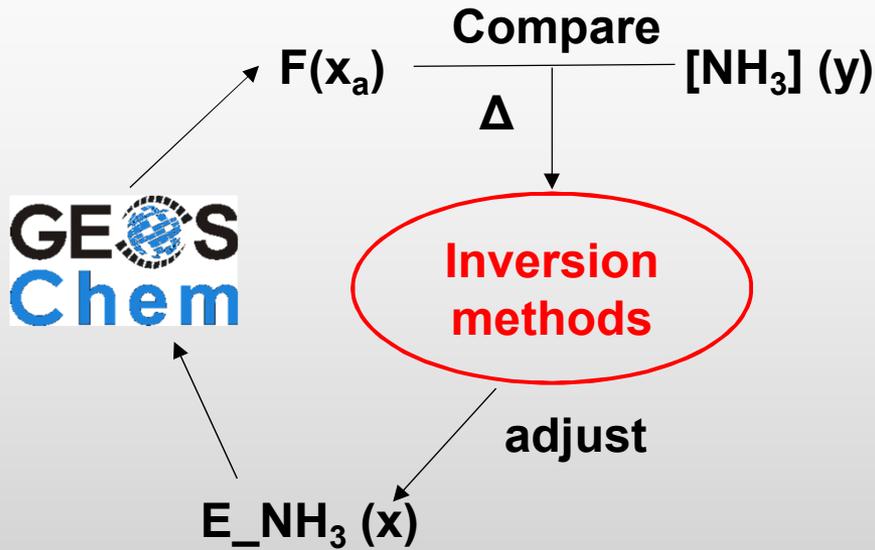


Two approaches to constrain NH_3 emissions from satellite observations

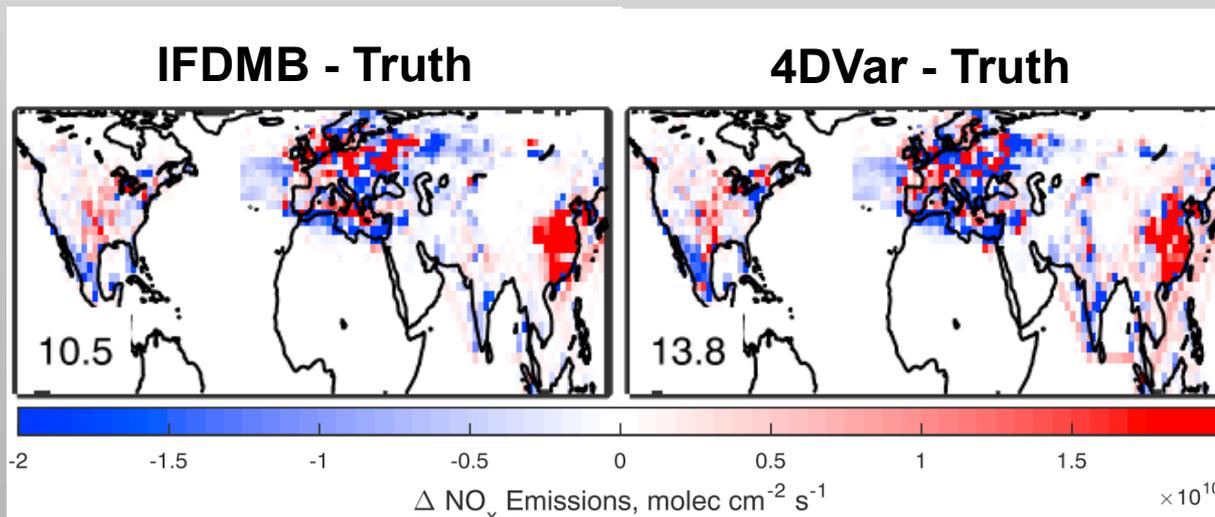


Methods	Pros	Cons
4-dimensional variational assimilation (4D-Var)	Accounts for sensitivities of Δ to emissions everywhere	Large computational cost
Iterative finite-difference mass balance (IFDMB)	Less computational complexity	Require dominant local sensitivities

Two approaches to constrain NH₃ emissions from satellite observations

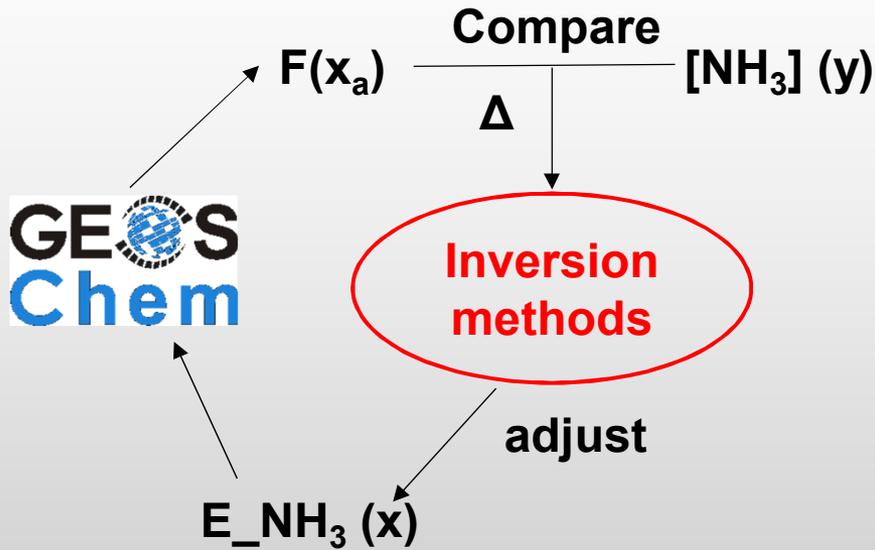


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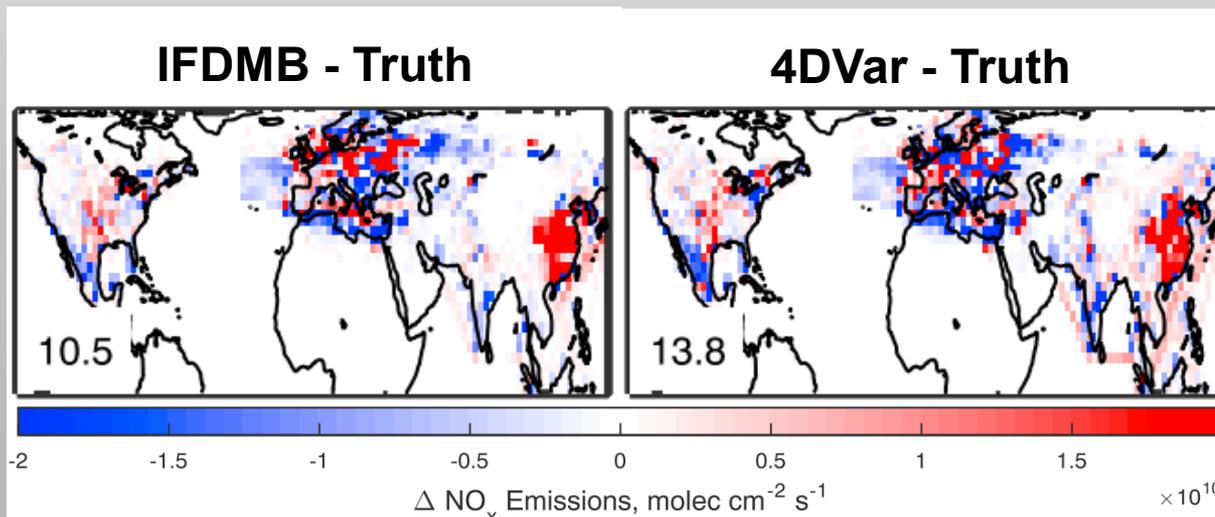
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Two approaches to constrain NH₃ emissions from satellite observations



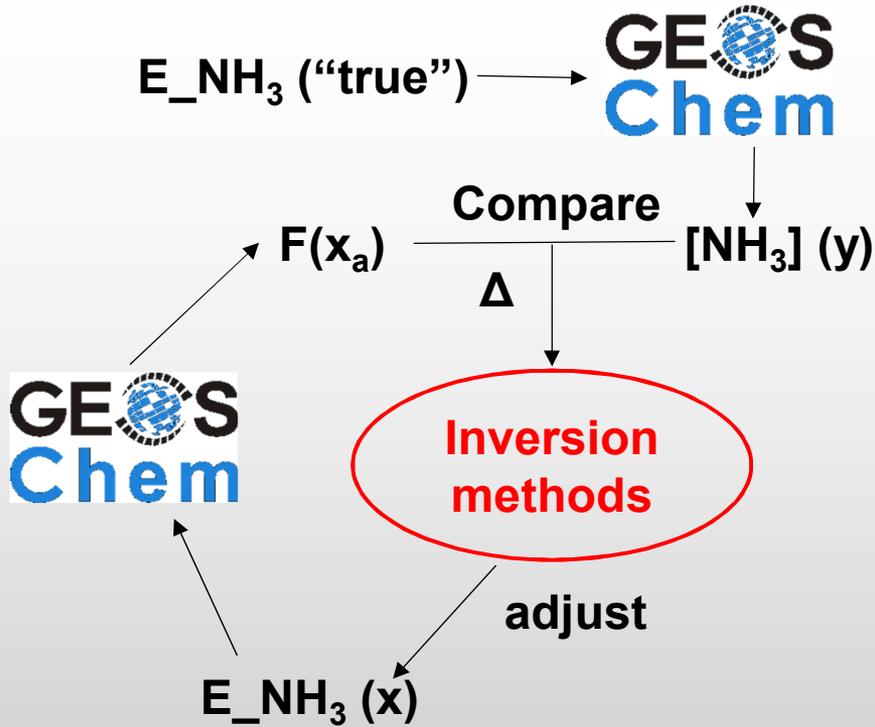
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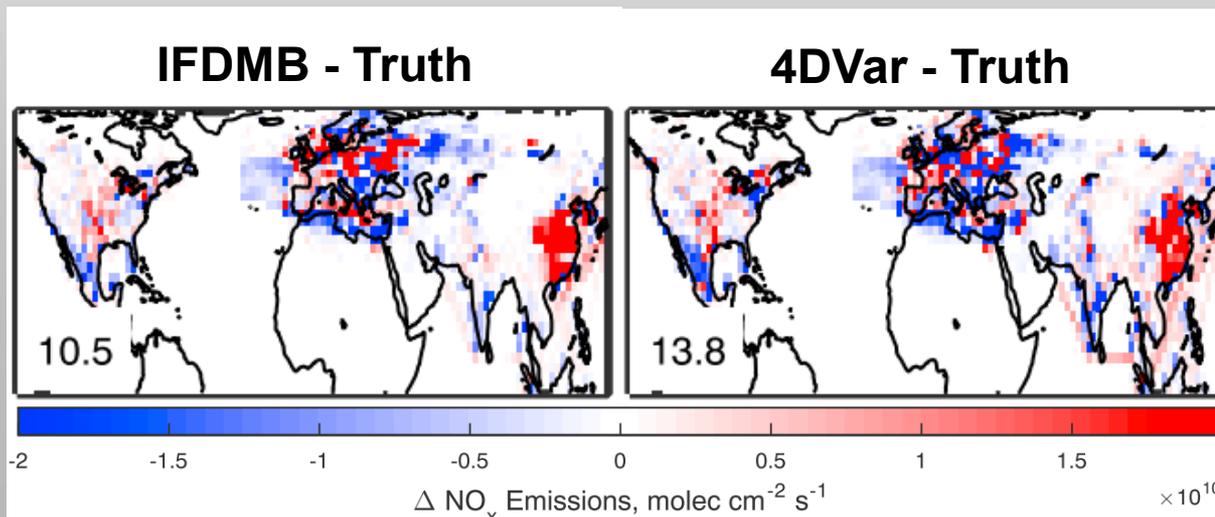
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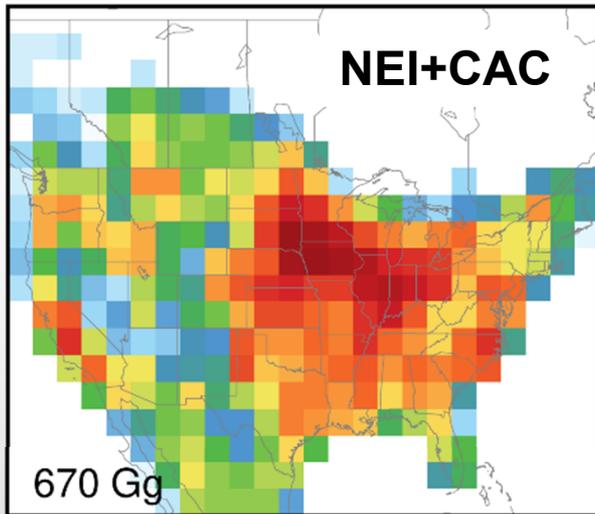


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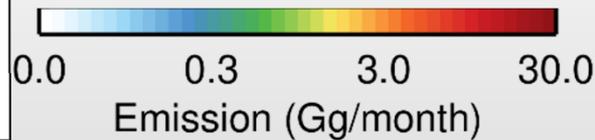
Both methods perform well if the real world grids are 2°×2.5°

True emission

201304



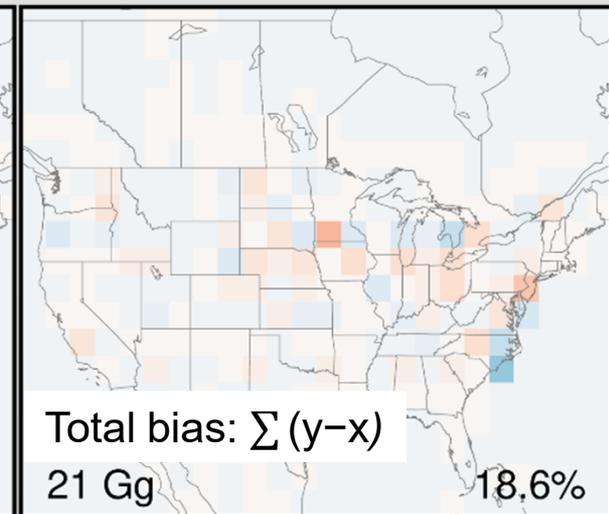
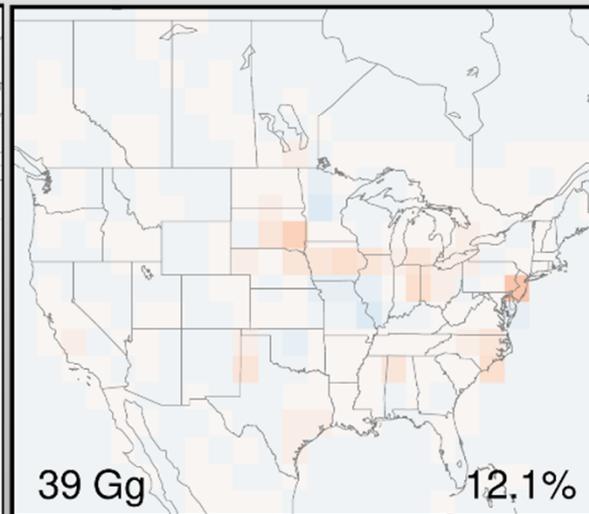
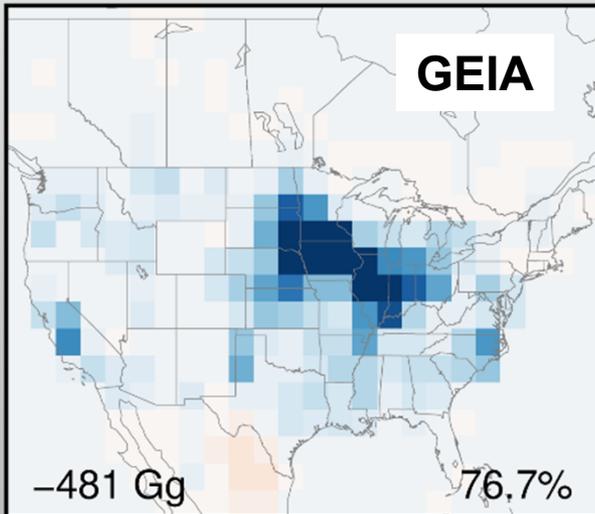
Pseudo observations of April 17-30 for inversion (April 1-16 for spin-up)



a priori – truth

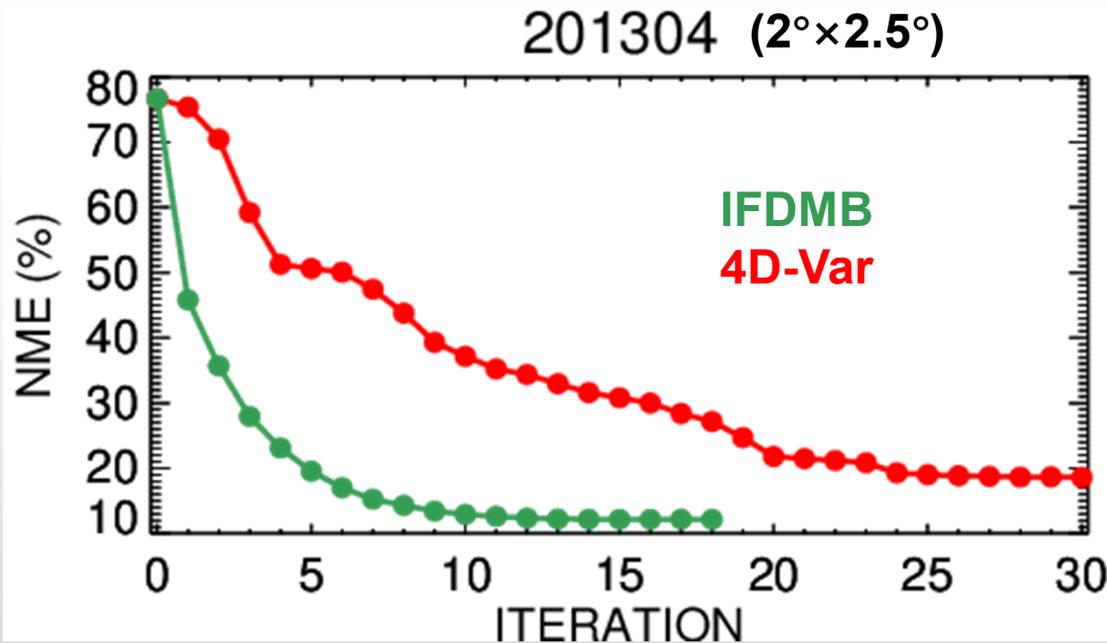
IFDMB – truth

4DVar – truth



$$NME = \frac{\sum |y-x|}{\sum x}$$

IFDMB requires 3-4 times less computational cost



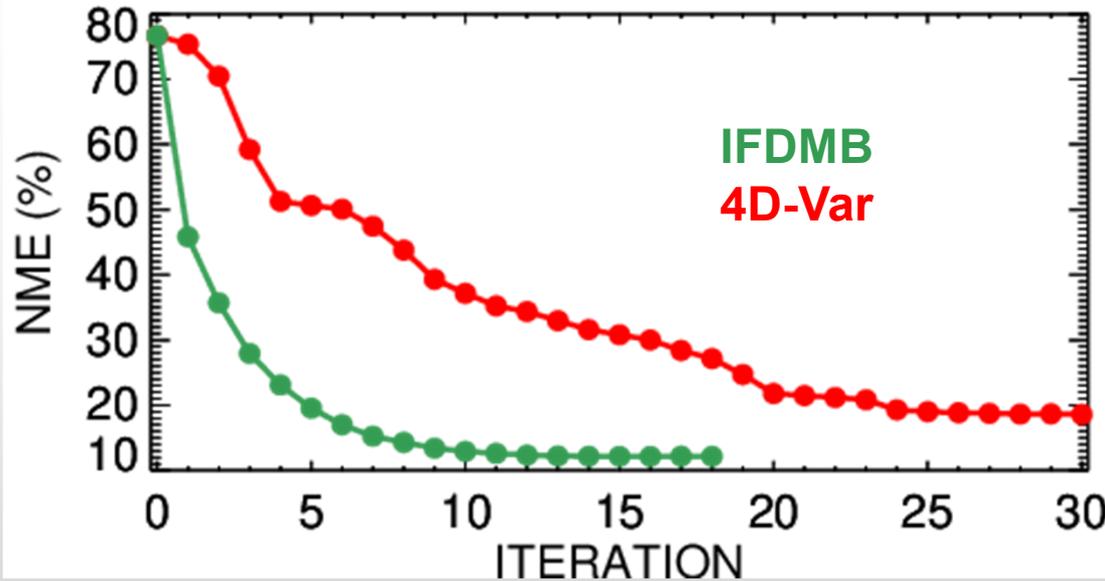
“Unsuccessful” 4D-Var iterations are included to reflect real computational cost.

Fewer number of iterations and **wall time** needed in IFDMB (~10, **50 hrs**) than in 4D-Var (~20, **180 hrs**)

(Tested environment: 16 CPUs, Intel(R) Xeon(R) Gold 6154, 3.00GHz)

IFDMB requires 3-4 times less computational cost

201304 ($2^\circ \times 2.5^\circ$)

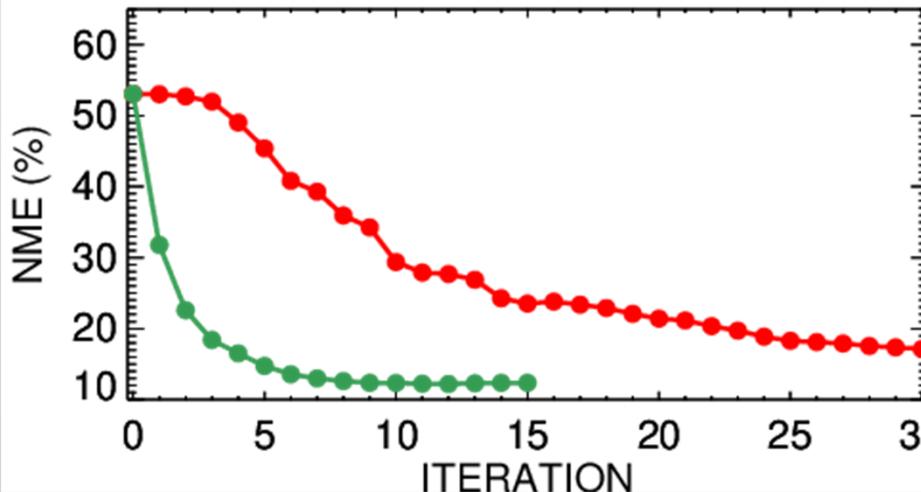


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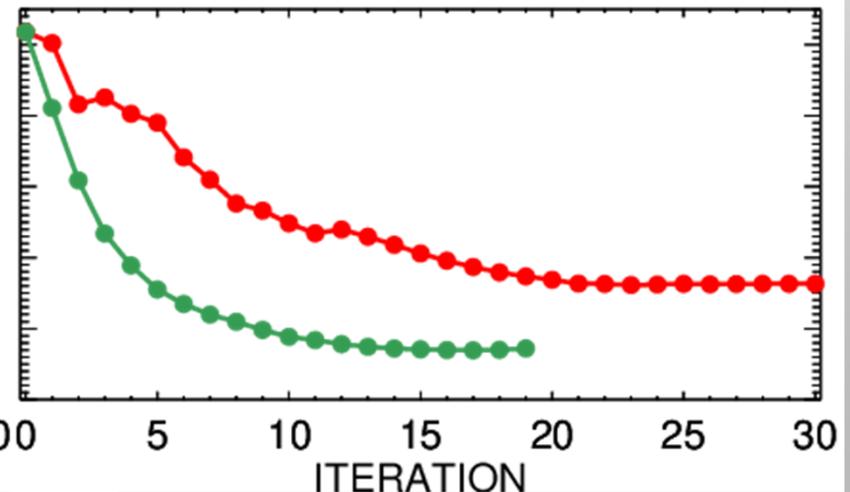
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201307



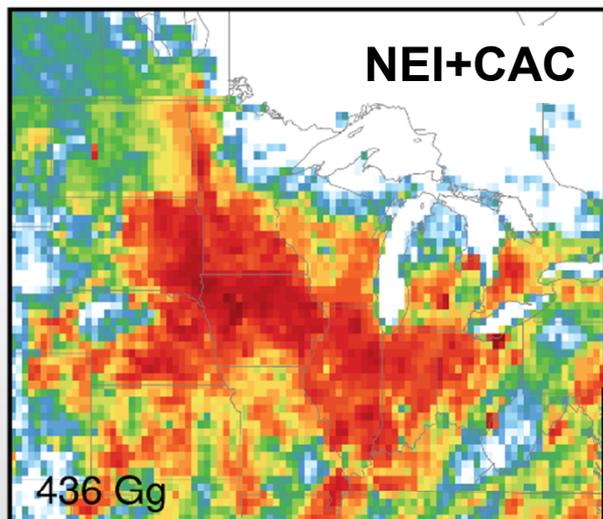
201310



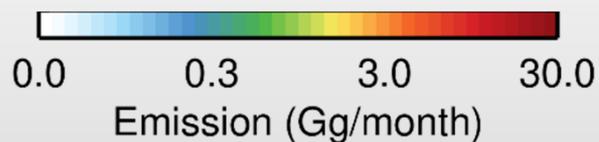
Inversion errors stand out for IFDMB @ 0.25°×0.3125°

True emission

201304



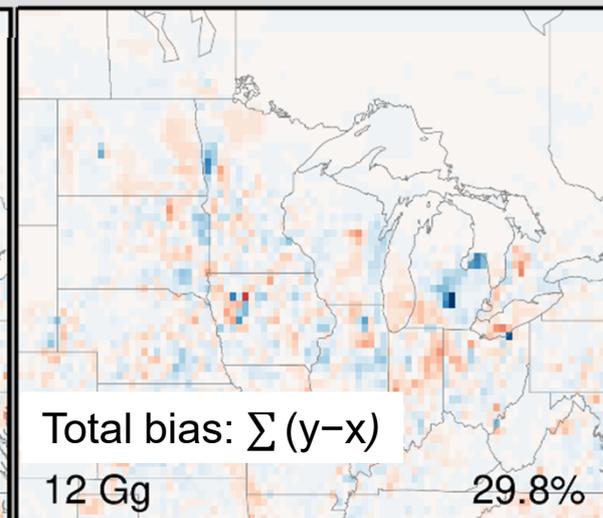
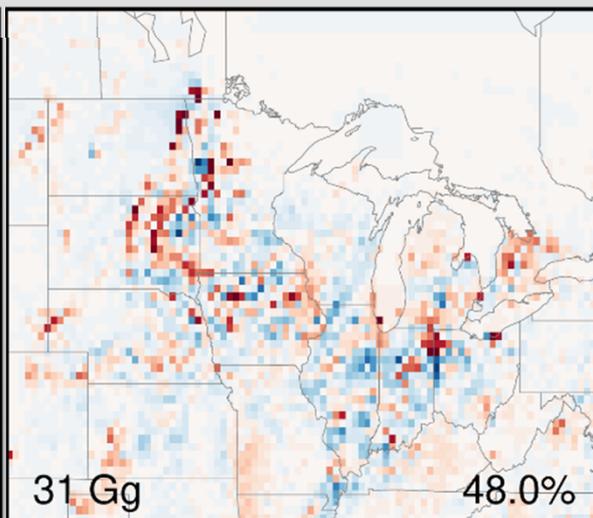
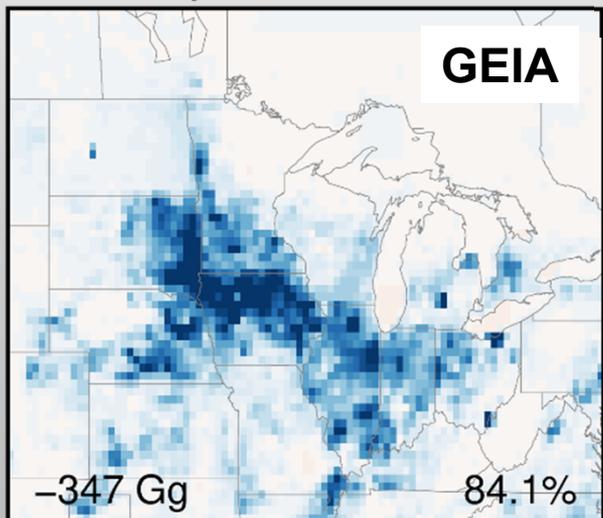
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a priori – truth

IFDMB – truth

4DVar – truth

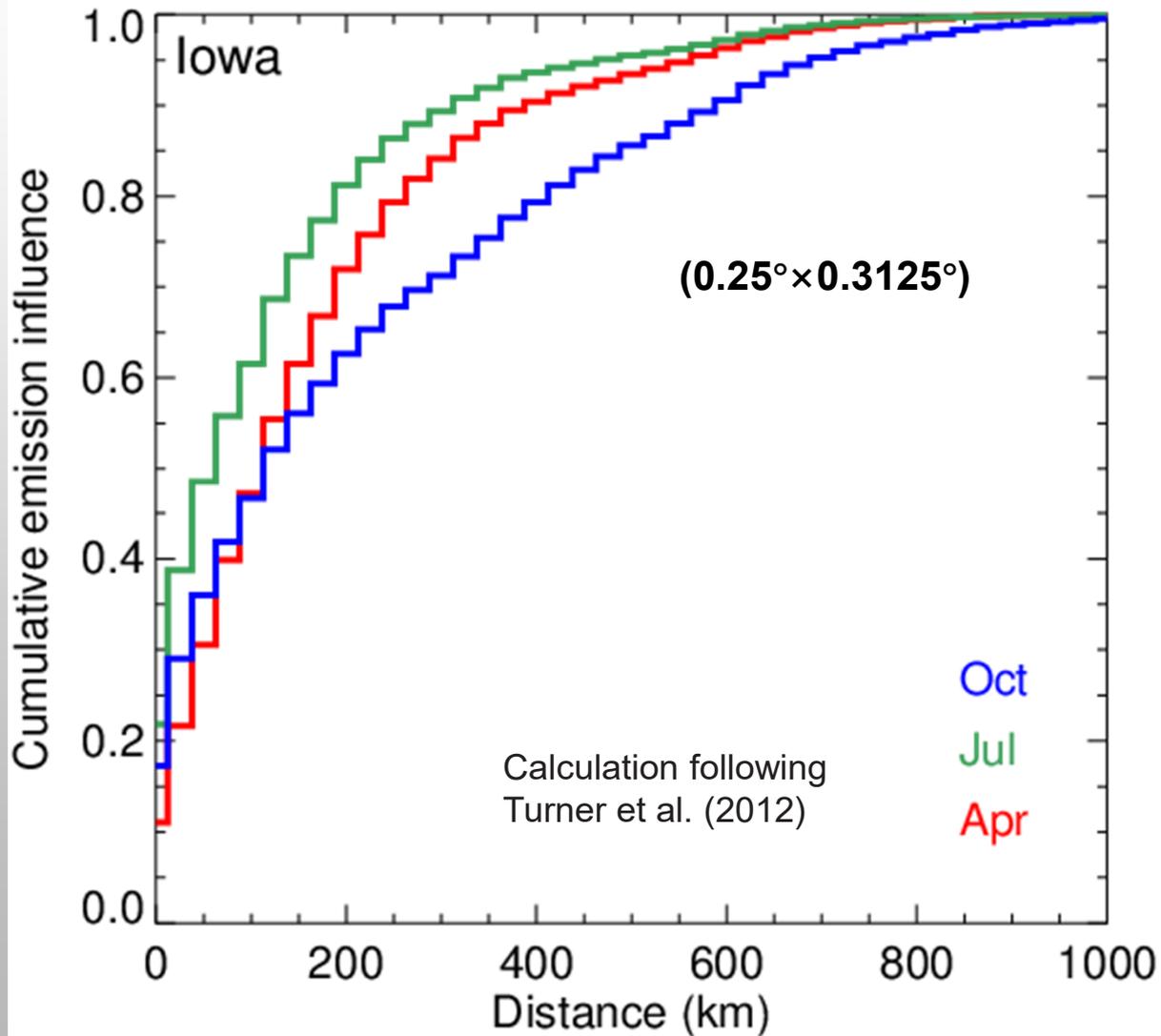


Δ Emission (Gg/month)

$$NME = \frac{\sum |y-x|}{\sum x}$$

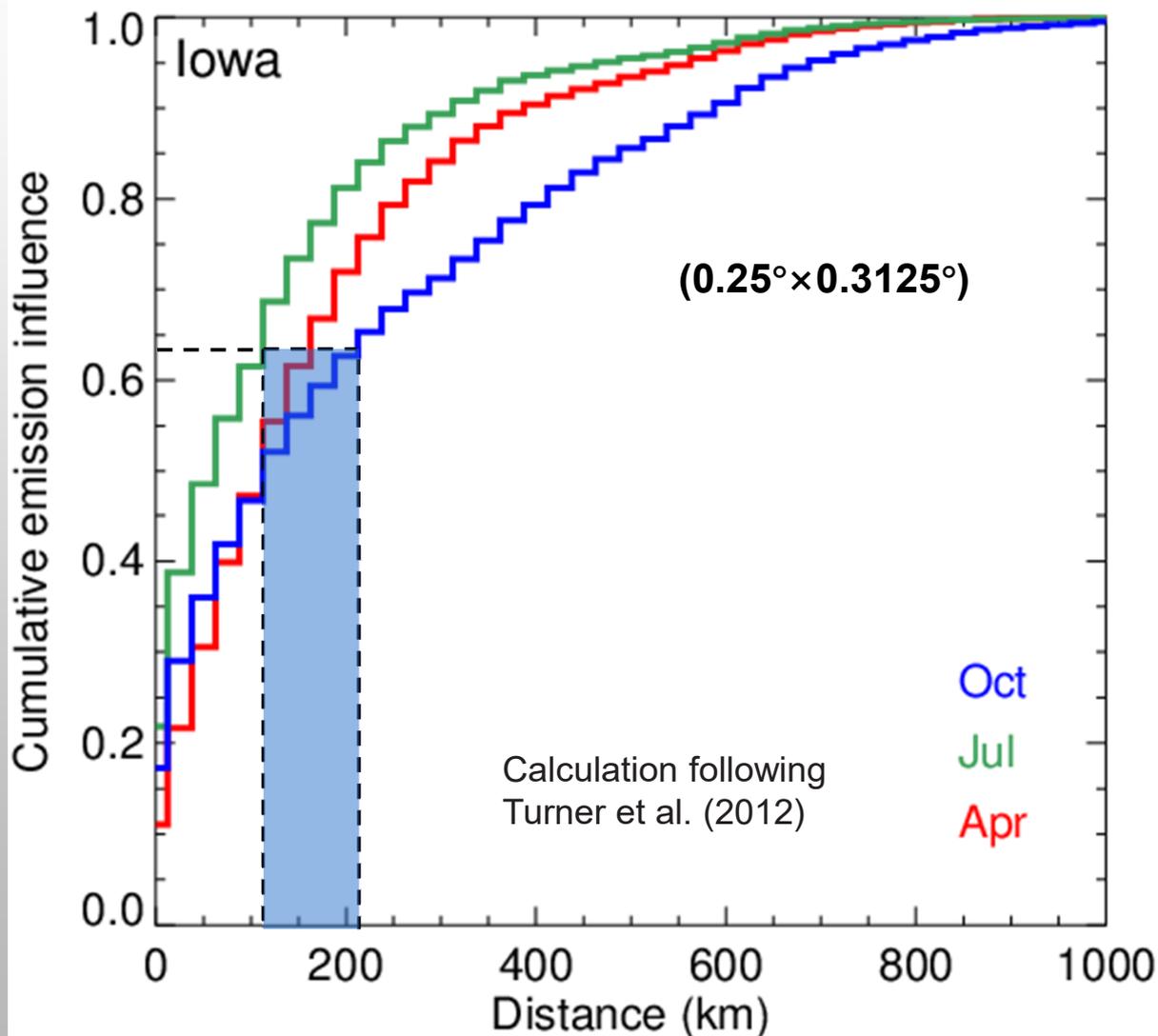
Stronger non-local emission contribution to columnar NH_3 (“smearing effect”) at finer resolution

Emission contributions within distance d



Stronger non-local emission contribution to columnar NH_3 (“smearing effect”) at finer resolution

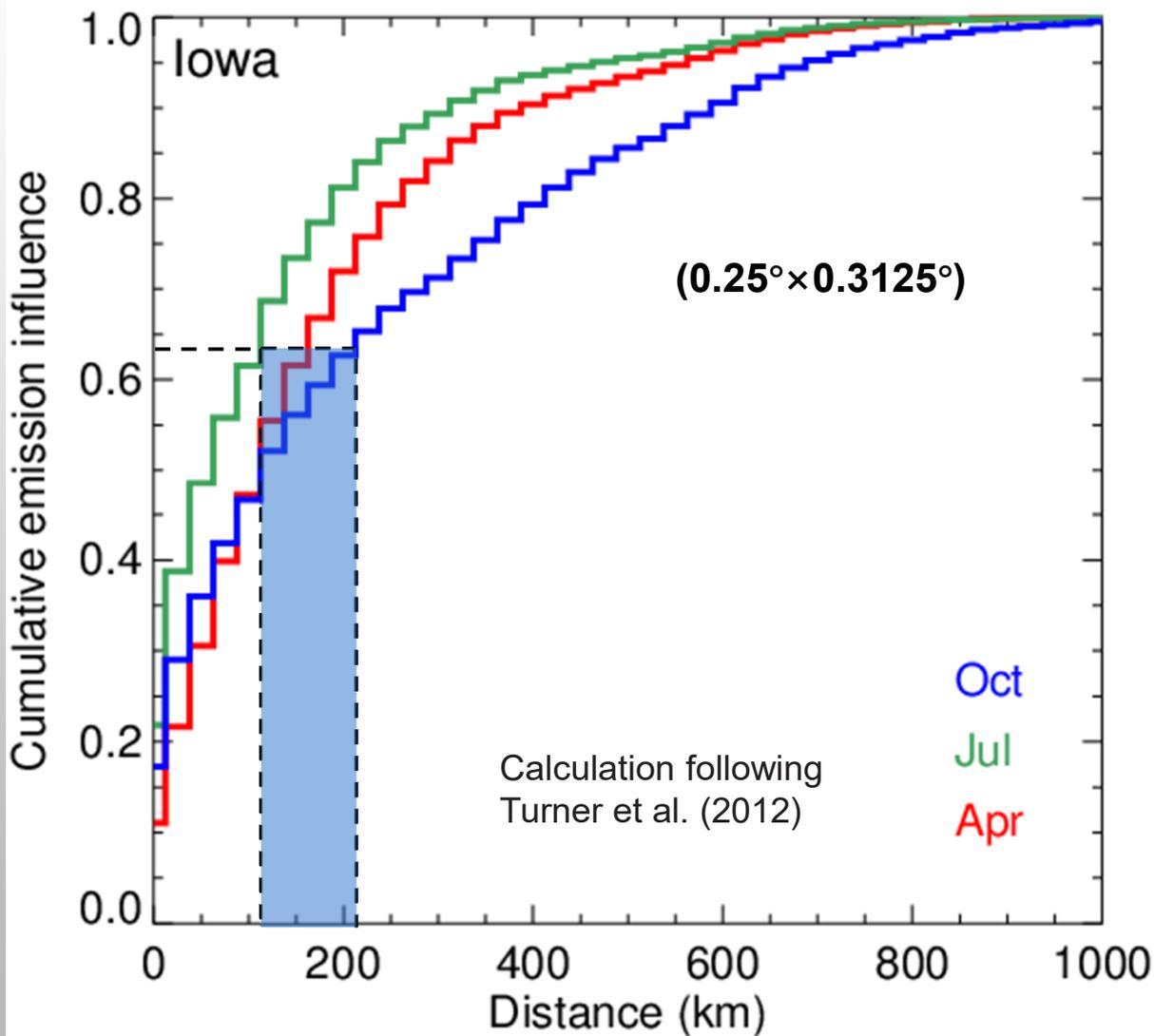
Emission contributions within distance d



Characteristic 63% ($1-1/e$) contribution corresponds to 120-220 km, “smearing length” (Palmer et al., 2003) of NH_3 .

Stronger non-local emission contribution to columnar NH_3 (“smearing effect”) at finer resolution

Emission contributions within distance d

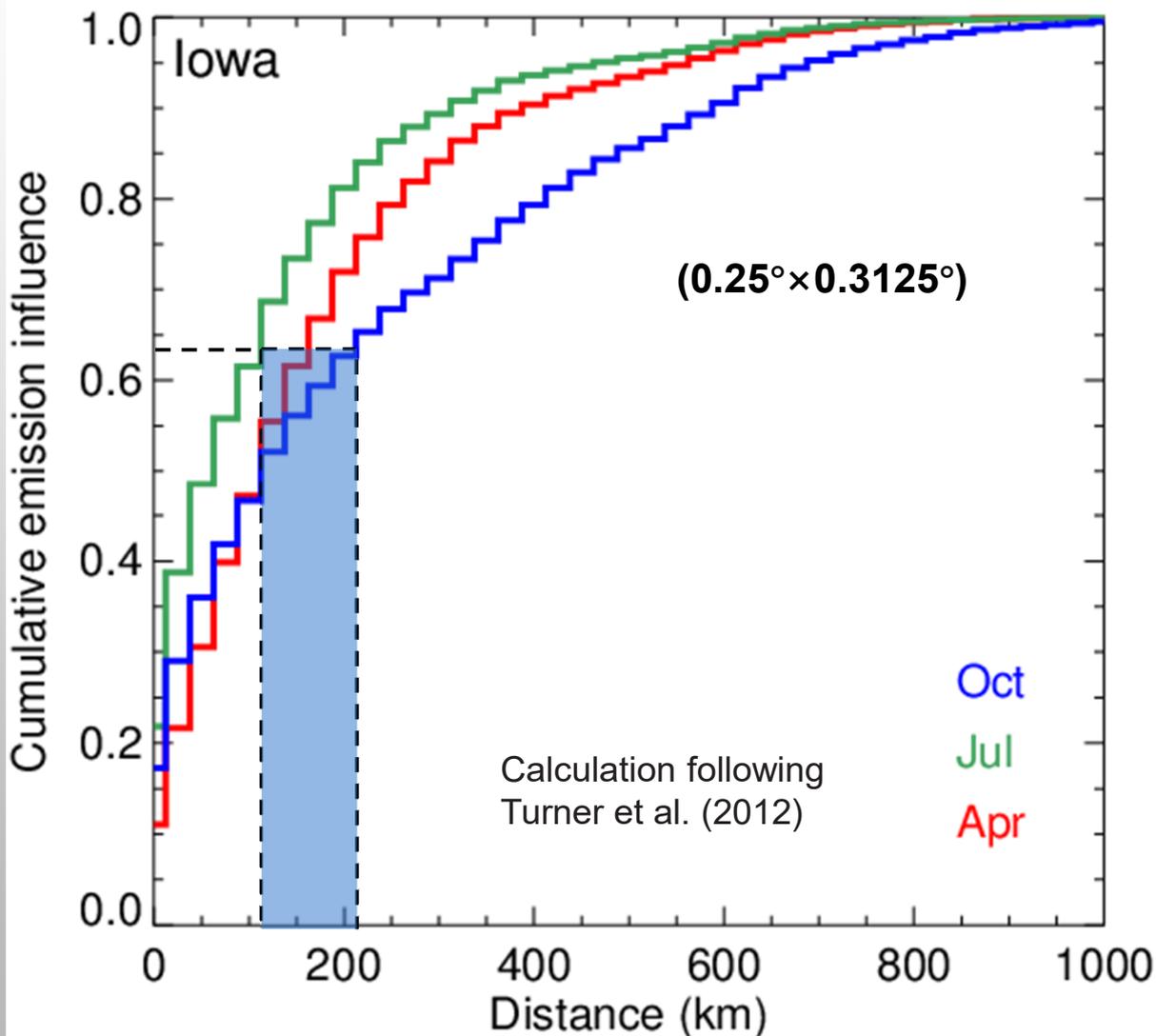


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Include 80-280 grid cells at $0.25^\circ \times 0.3125^\circ$

Stronger non-local emission contribution to columnar NH_3 (“smearing effect”) at finer resolution

Emission contributions within distance d



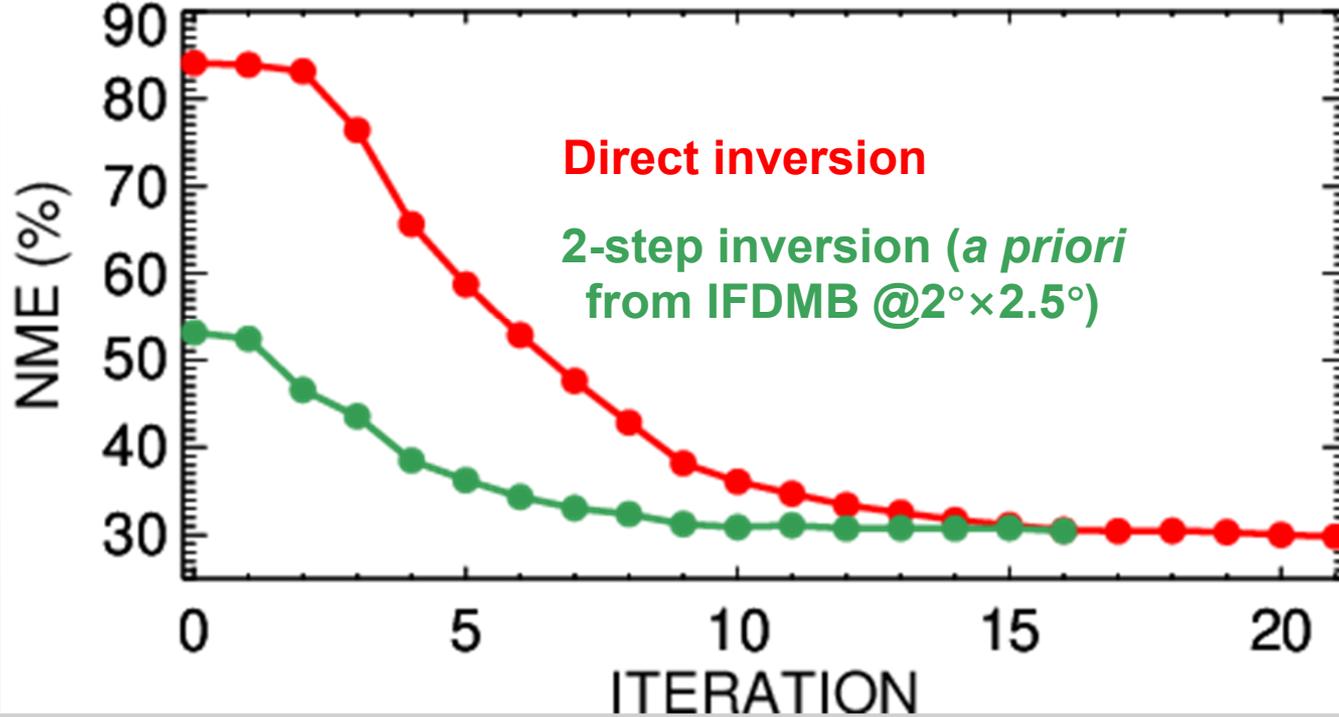
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Smearing length = 173 km if lifetime of 12 hr and wind speed of 4 m/s.

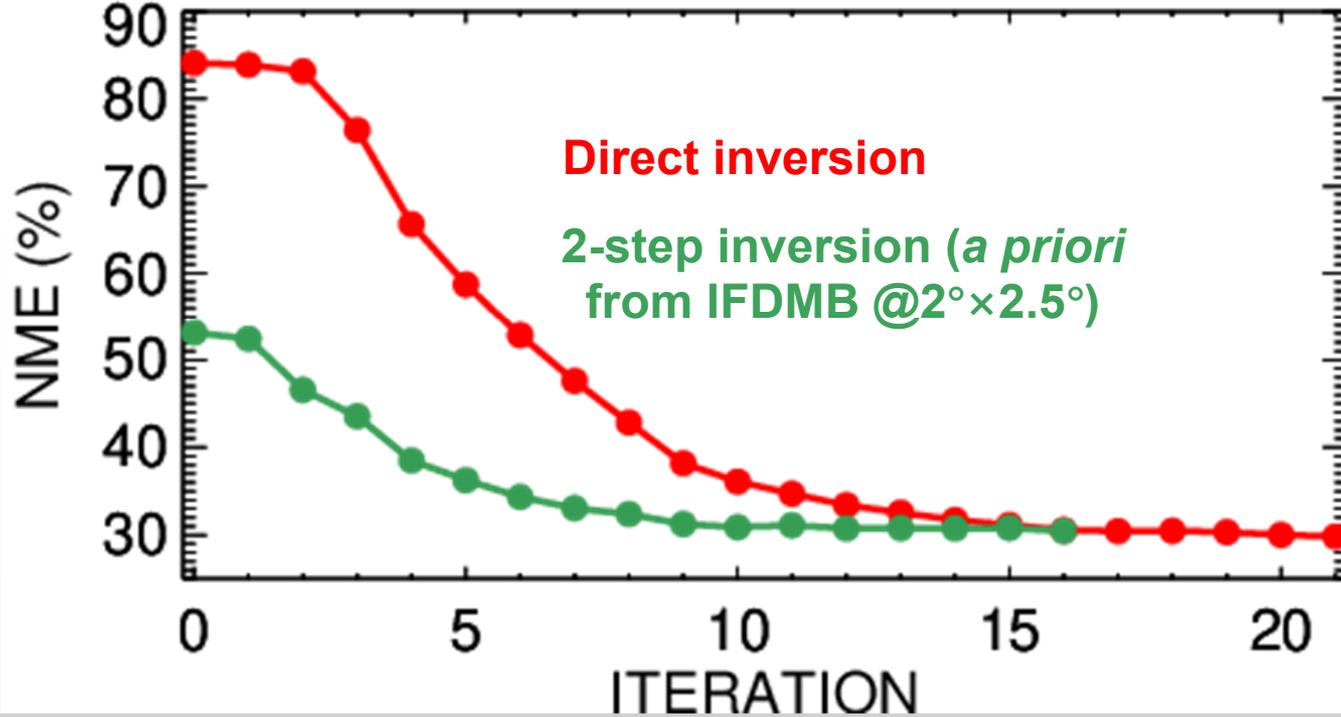
Initial IFDMB Inversion @ $2^\circ \times 2.5^\circ$ accelerates 4D-Var @ $0.25^\circ \times 0.3125^\circ$

201304 (4D-Var, $0.25^\circ \times 0.3125^\circ$)



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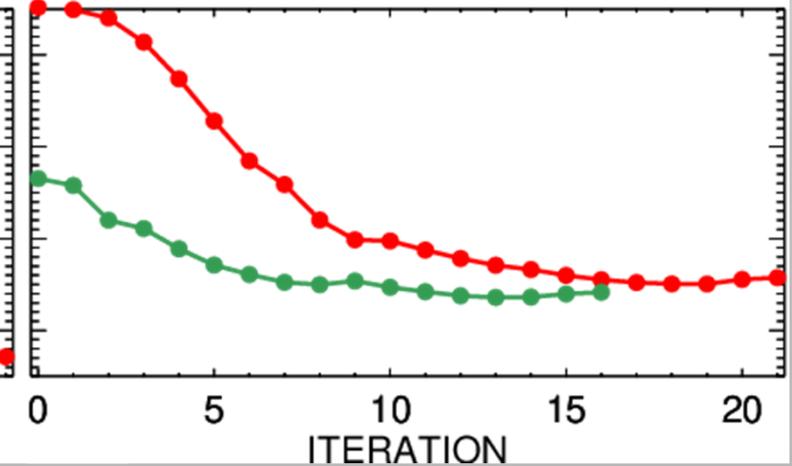
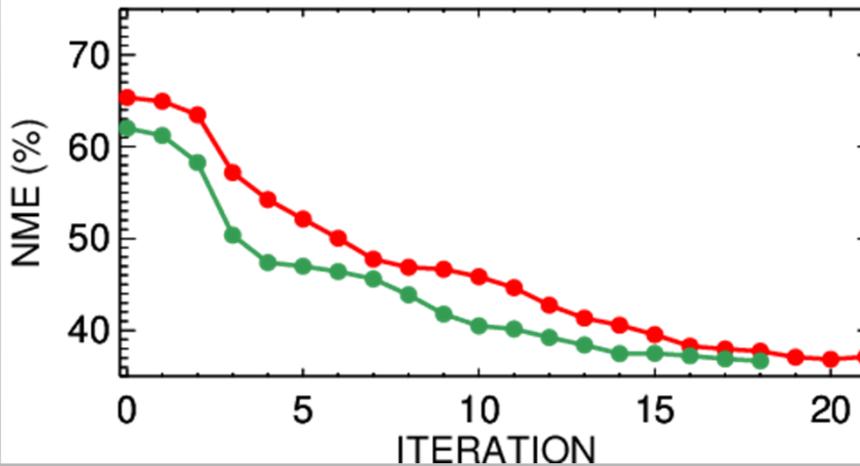
Total wall time (hrs):

420-530

320-380

201307

201310



Conclusion

- IFDMB approach requires 3-4 times less computational costs than 4D-Var and performs competitively at $2^\circ \times 2.5^\circ$.
- Strong non-local smearing at $0.25^\circ \times 0.3125^\circ$ resolution (finer than the “smearing length”) weakens the performance of IFDMB relative to 4D-Var.
- Prior IFDMB inversions at $2^\circ \times 2.5^\circ$ could refine the *a priori* emissions to accelerate the 4D-Var at $0.25^\circ \times 0.3125^\circ$.

Thank you!

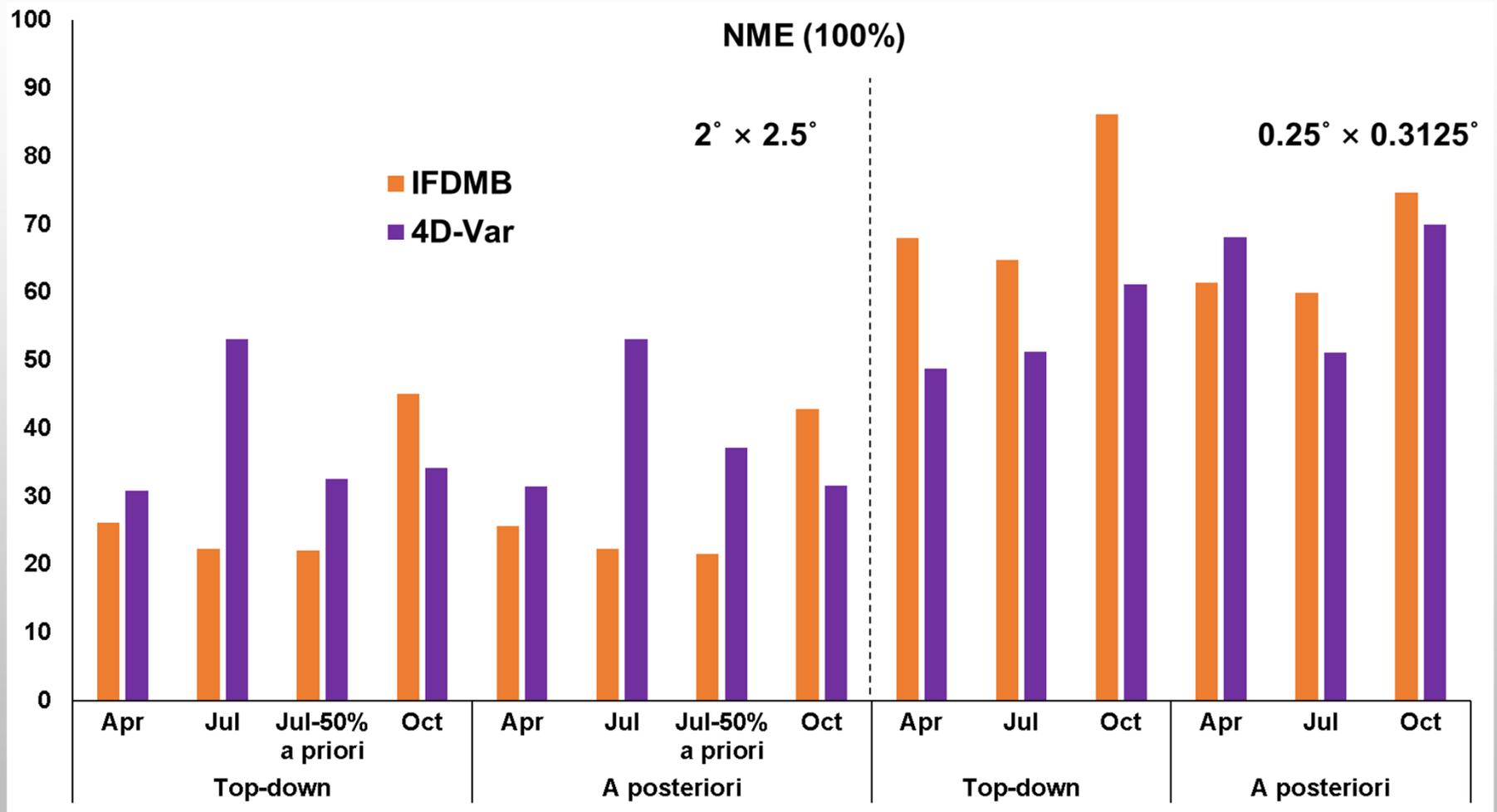
More details:

Li et al. (2019), J. Geophys. Res.

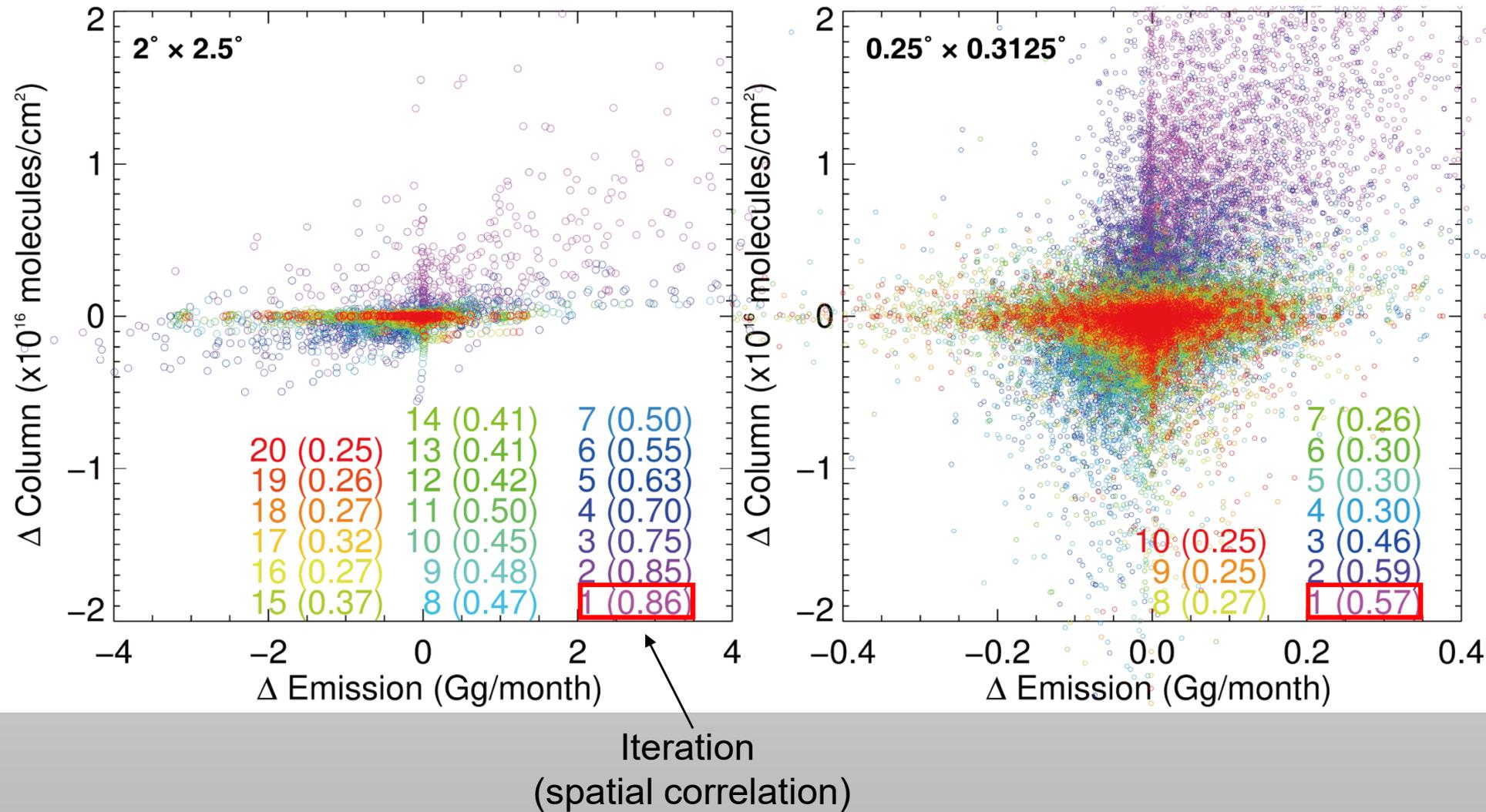
Atmos., doi:10.1029/2018JD030183

Introducing errors in observations indicate similar findings

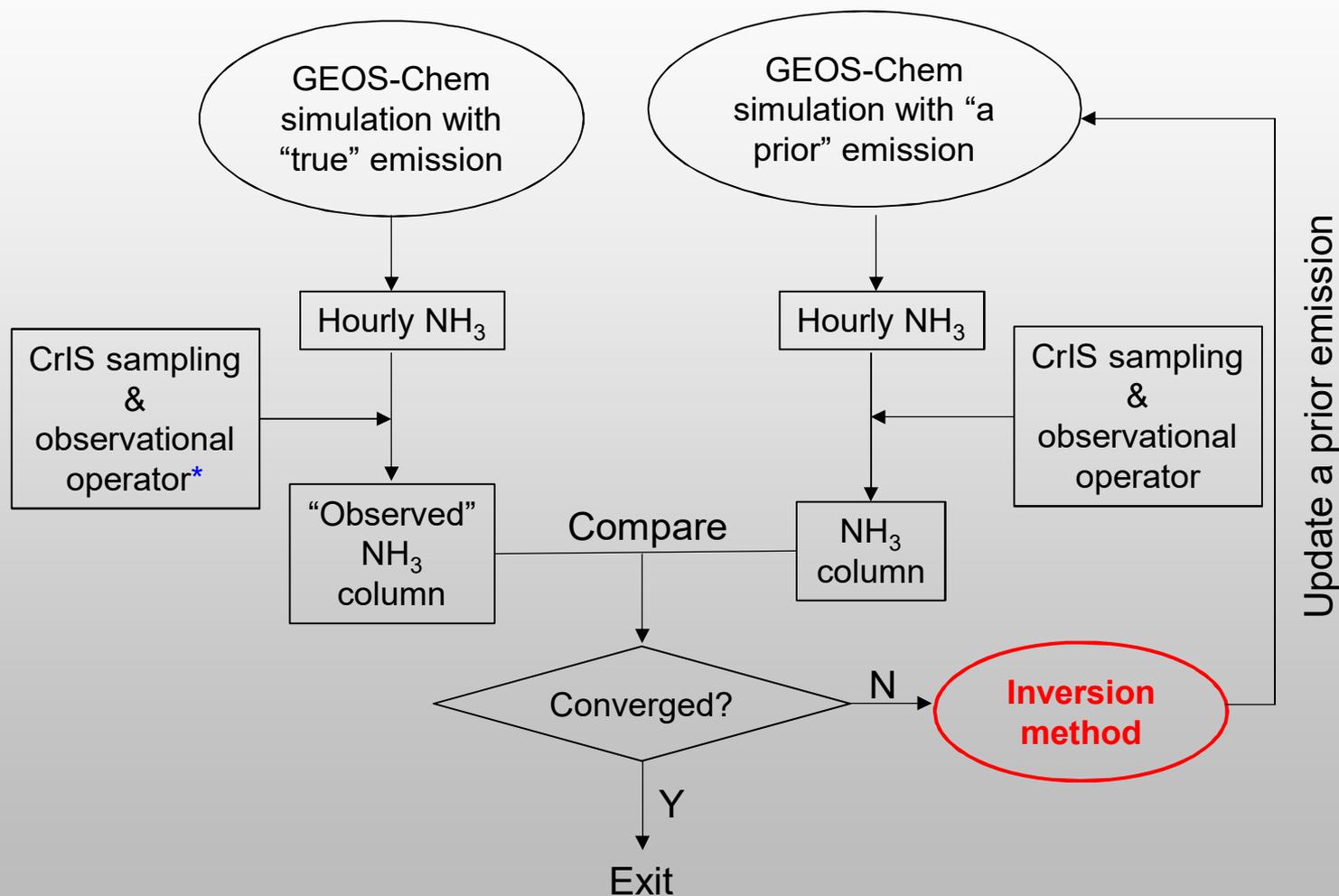
Errors: $35\% \cdot \Omega(\text{NH}_3)$ or at least 5×10^{15} molecules/cm²



Less “localization” of Δy - Δx relationship @ $0.25^\circ \times 0.3125^\circ$



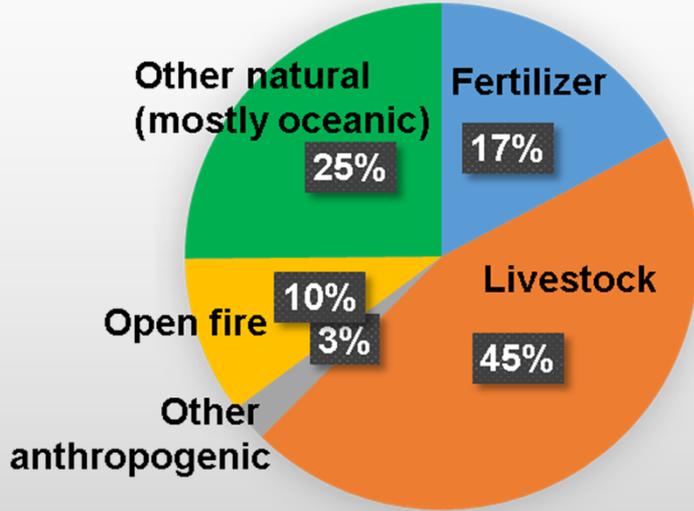
A comparison of finite difference mass balance and 4D-Var inversion methods for NH₃ emission from CrIS retrievals



Large uncertainties in (agricultural) NH₃ emissions estimates

(Paulot et al., 2014)

Global annual NH₃ emission (54.5 TgN)



$$E_{NH_3-F} = F \times \alpha_F$$

Emission factor

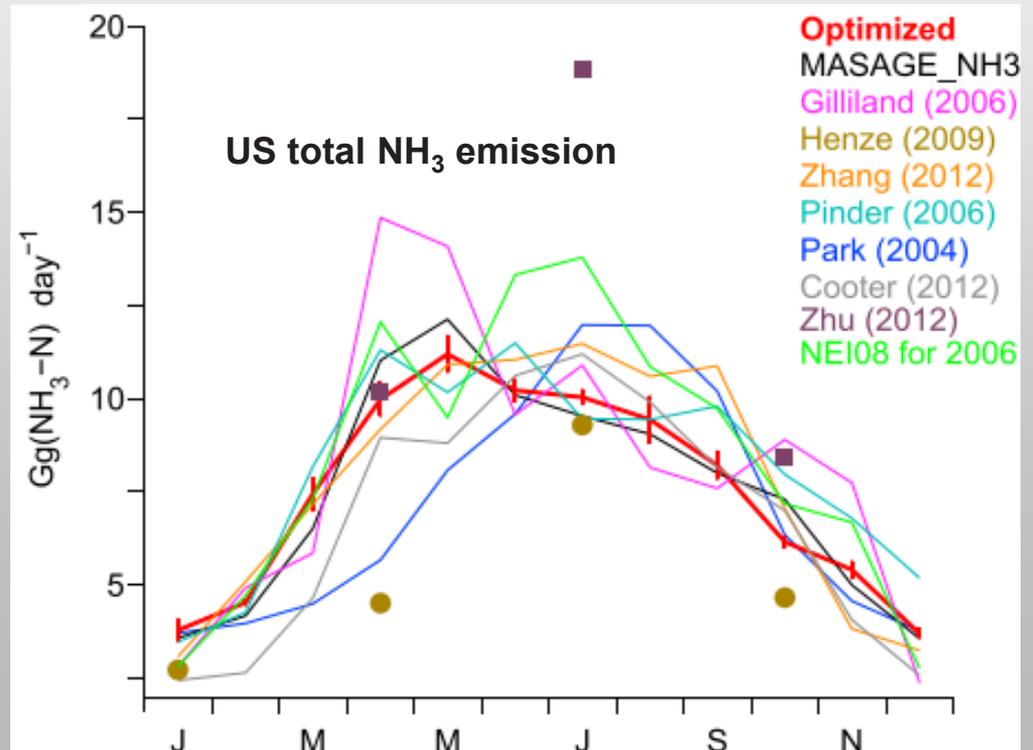
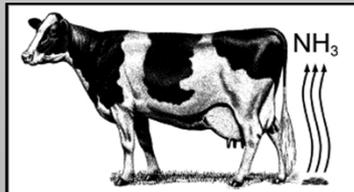
Fertilizer application magnitude



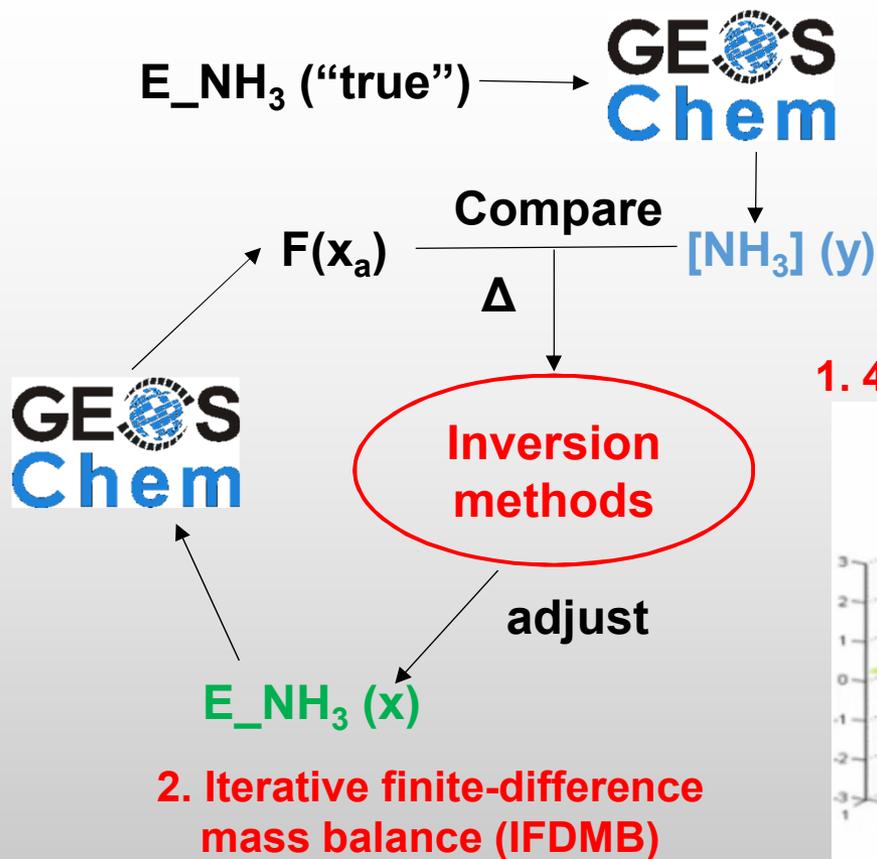
Emission factor

$$E_{NH_3-L} = D \times \alpha_D$$

Animal number

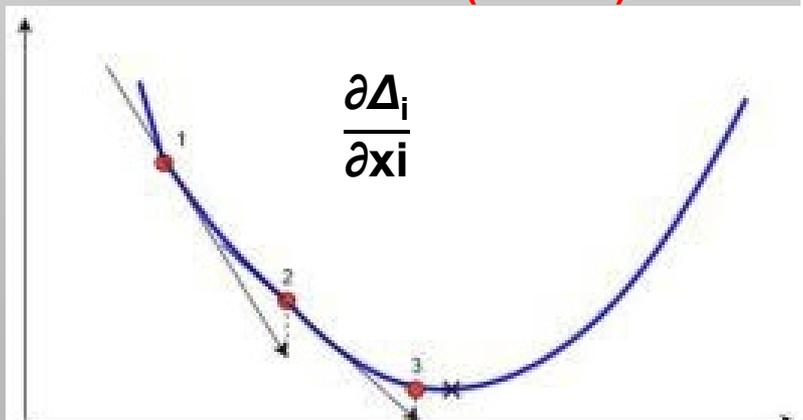
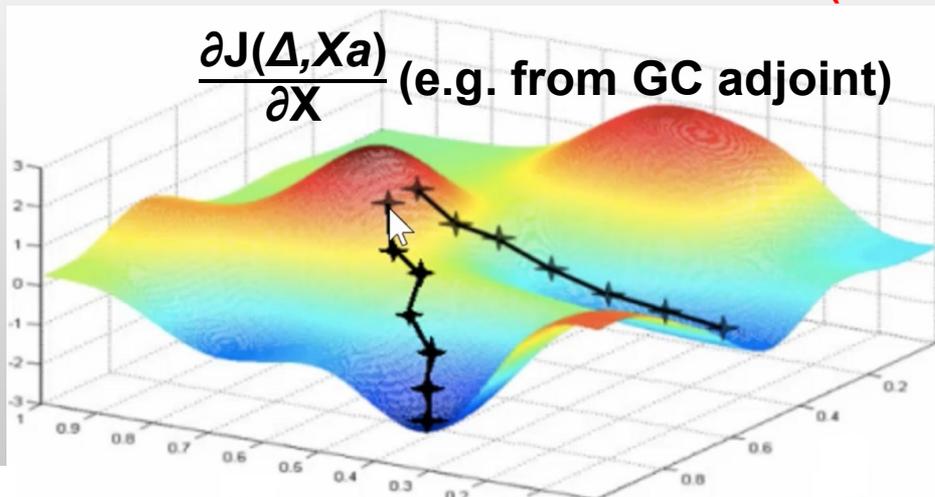


Two approaches to constrain NH₃ emissions from satellite observations



Δ_1			
Δ_2		
⋮			
⋮			Δ_n

1. 4-dimensional variational assimilation (4D-Var)

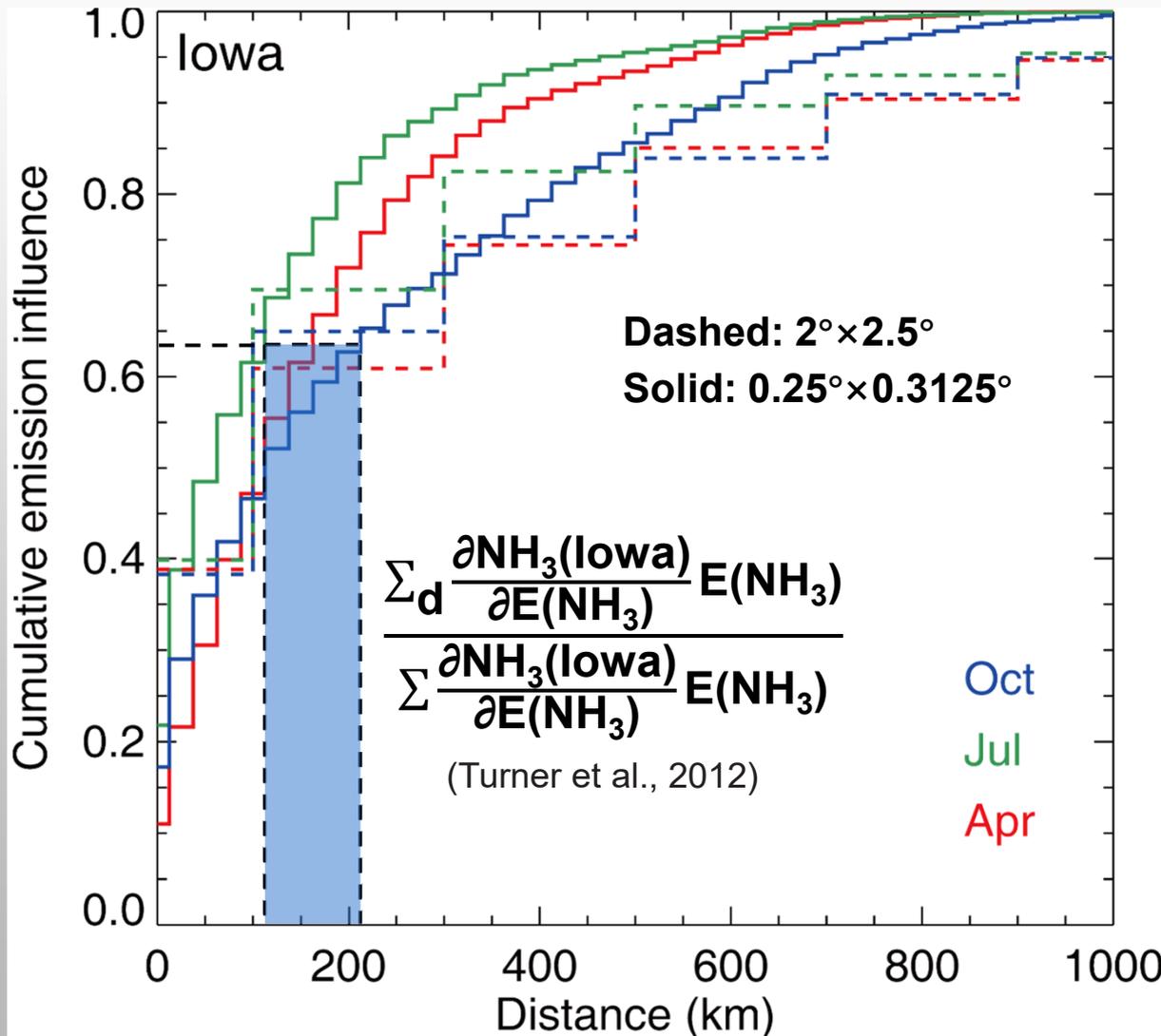


x_1			
x_2		
⋮			
⋮			x_n

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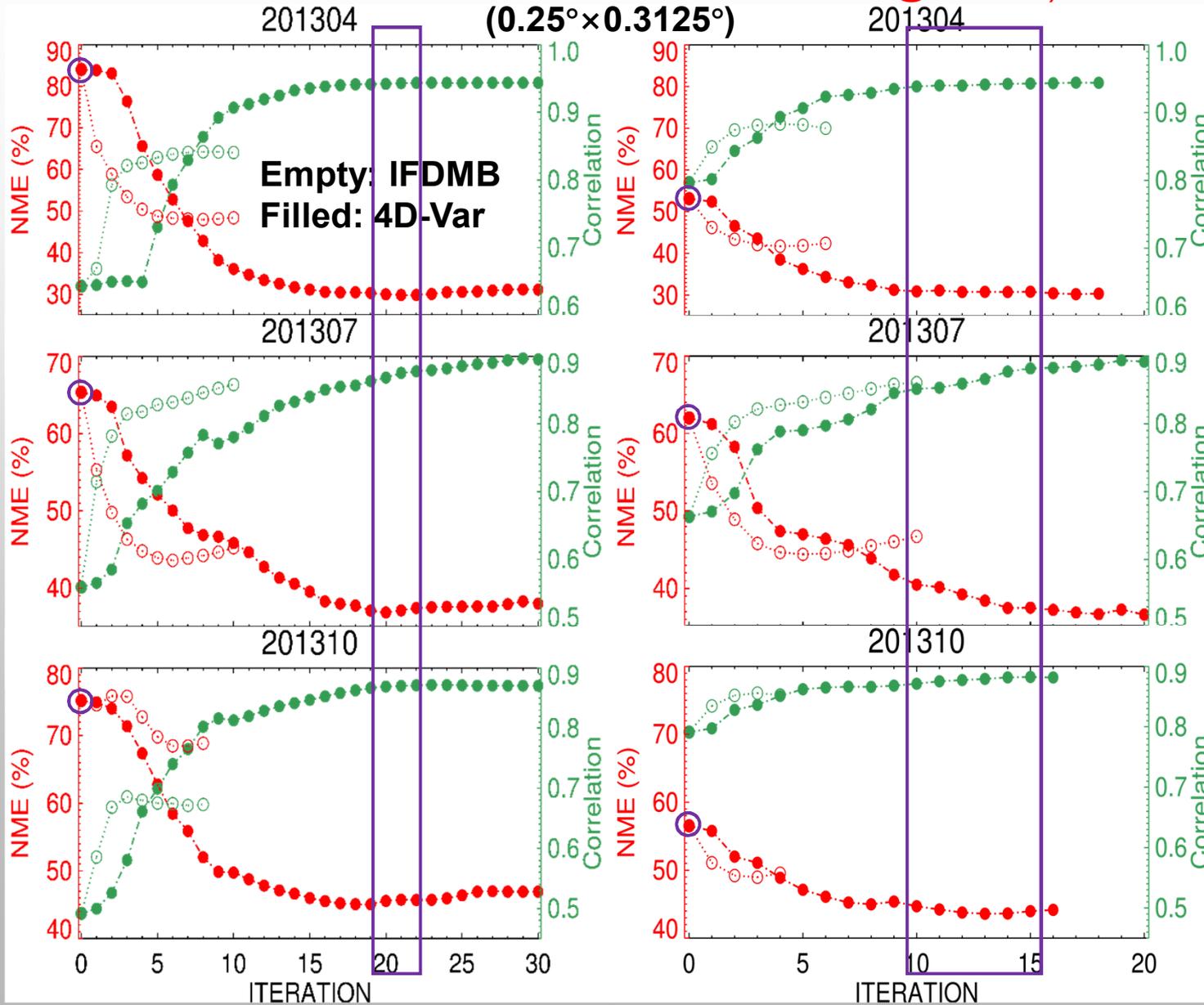
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Original *a priori*

Updated *a priori* (from IFDMB @2°×2.5°)



$$NME = \frac{\sum |x-y|}{\sum y}$$

Total hours:

Left: 420-530

Right: 320-380